

Classification of Intelligence by Meta-Models

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We propose a novel classification of artificial intelligence based on computational problems vs. learning problems. We show how learning problems are solved like computational problems and iterate the process to arrive at an infinite

sequence of meta-learning processes. In order to achieve general learning, we break the infinite sequence by means of a self-referential meta-model, which poses additional constraints for general intelligence in formal systems.

Introduction

Definition of **Intelligence** in this work: The capability to solve problems.

Definition of **General Learning** in this work: The capability of acquiring any model in the search space.

Problem: General learning remains elusive in Artificial

Intelligence. More insight is needed.

Objective: Provide new insights into general learning

that show why does it remain elusive.

Computational Problems

→ Input (I) and method (f) are known.

→ Output (O) is unknown.

f(1) = ?

xamples

- Algorithmic evaluation
- Turing machines
- Trained neural networks
- Functions whose output is data

Learning Problems

→ Input (I) and output (O) are known.

→ Method (f) is unknown.

?(I) = O

Resolution of learning

model (g) that maps I

appropriate function.

exploration of model

Our proposal

problems:

and O to the

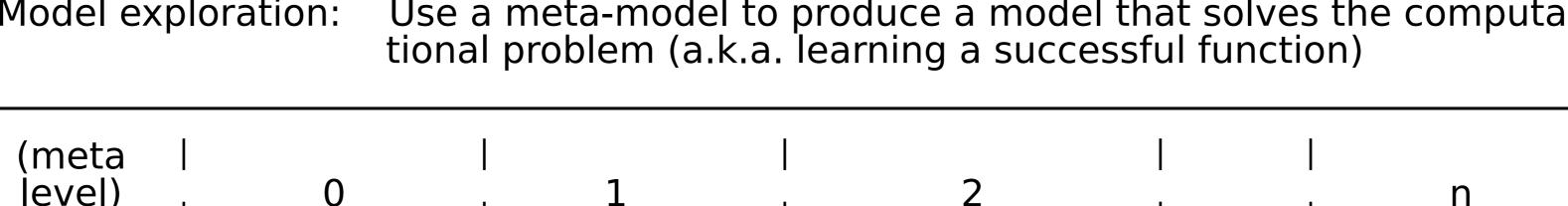
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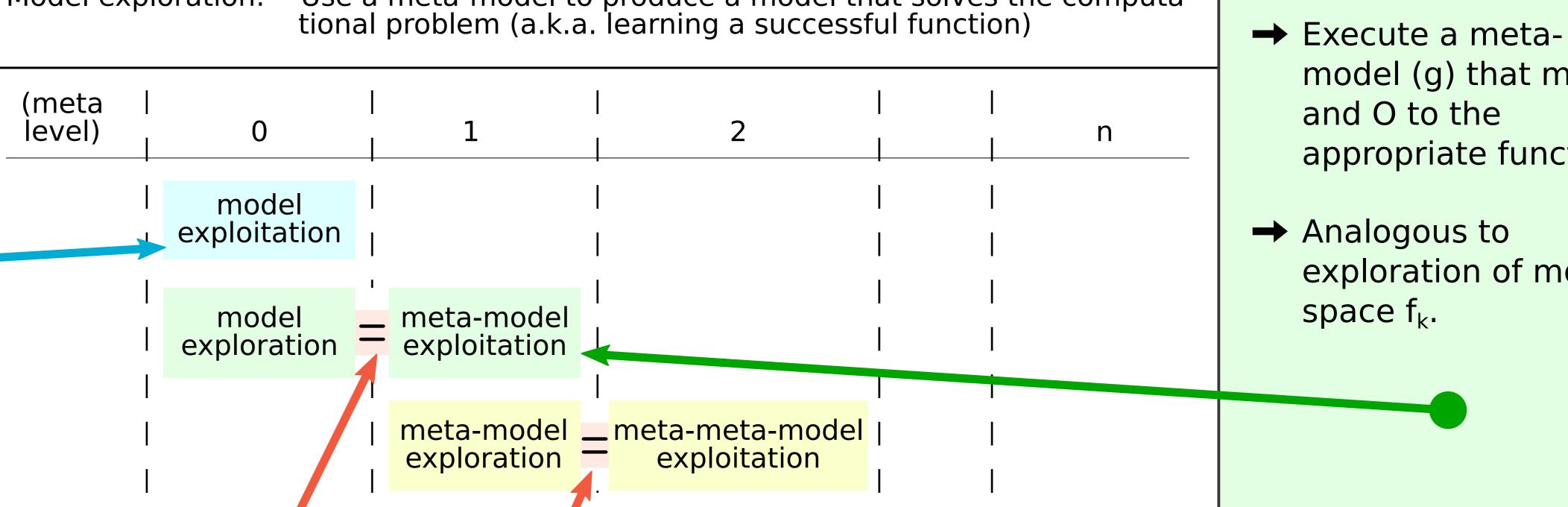
Example

- Training algorithms of neural networks
- Reinforcement learning
- Genetic programming
- Functions whose output is another function

Resolution of computational problems:

- → Execute f in a CPU with I as input data. The result is O.
- → Analogous to exploit-ation of the implicit model in f.
- Model exploitation: Use a model, i.e. a function, to solve a computational problem. Use a meta-model to produce a model that solves the computa-Model exploration:





Deep

Learning

Neural

Network

Recursive meta-learning

→ Learning problems

$$|\cdot|:=|\xrightarrow{?}O$$

are meta-computational problems:

$$I' \xrightarrow{g} ?$$

where g is a function with an implicit metamodel:

$$g(I') = O'; O' := I \xrightarrow{f} O$$

→ When g cannot provide an appropriate f in O', then we have a meta-learning problem:

(Examples)

- → Applying induction yields a chain of meta-learning problems.
- → The last element in the chain sets the limits to learning.
- → Infinite chains are not realizable.

→ We propose a self-referential meta-model as an alternative to the infinite sequence of meta-learning processes in order to achieve general learning.

exploitation

exploration

General

Learning?

- → This meta-model (a.k.a. meta-function) modifies itself, so that the computational problem is the same as the learning problem.
- → However, formal systems cannot achieve general metalearning this way because of issues related to incompleteness, inconsistency and the P-NP problem.

Conclusions

- Methods in Artificial Intelligence can be classified by their metalearning capabilities, rather than their function or methods used.
- Computation devices based on formal systems cannot achieve general learning, as defined above.

Future works

- Explore the possibility of self-referential general learning systems that are not formal, i.e. stochastic processes.
- Reinforcement learning and genetic programming are good candidates.

References

meta-meta-model_

exploration

Parameter

tuning of

Deep Learning

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